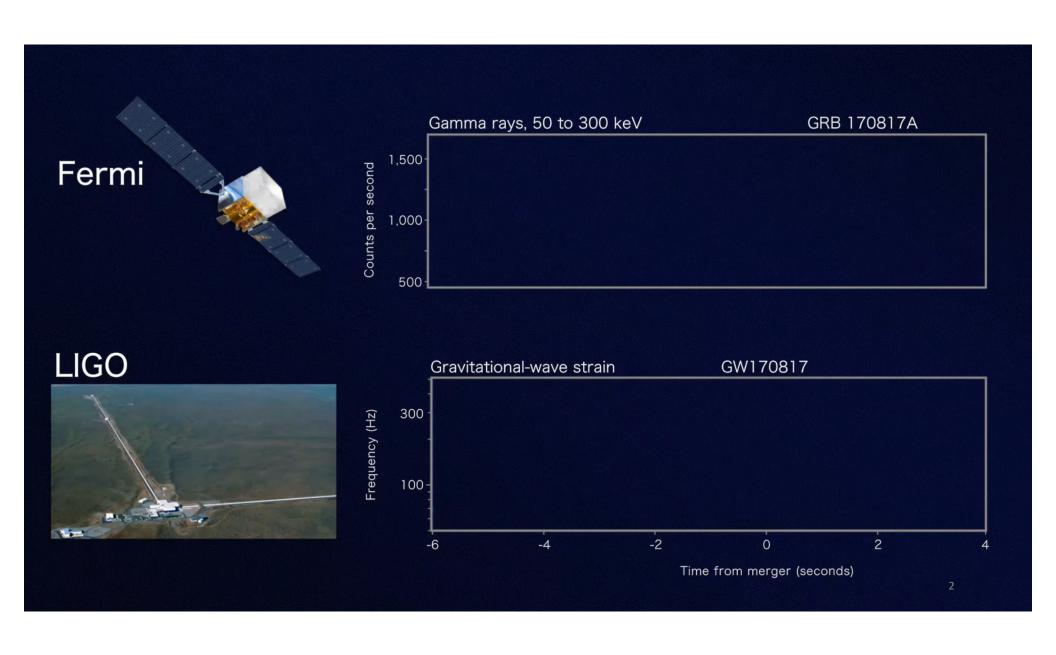
Future Science from Gamma-ray Observations of Neutron Star Mergers

Eric Burns

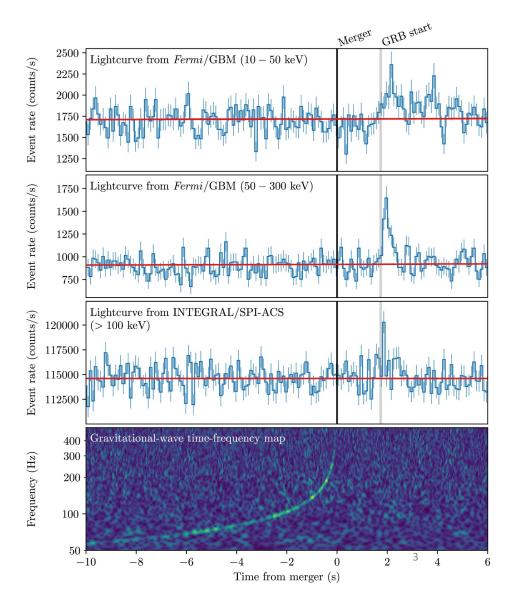
and

Tito Dal Canton



1.7 Seconds

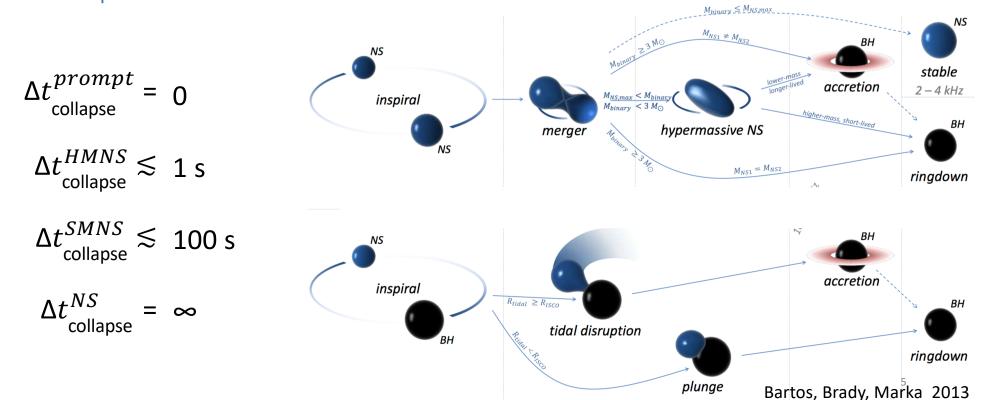
 $\Delta t \equiv \Delta t_{\text{EM}} - \Delta t_{\text{GW}}$



$\Delta t_{total} =$

$$\Delta t_{\text{total}} = \Delta t_{\text{collapse}} + \dots$$

$\Delta t_{collapse} \equiv$ Time for the merging objects to collapse to a black hole



$$\Delta t_{\text{total}} = \Delta t_{\text{collapse}} + \Delta t_{\text{jet formation}} + \dots$$

 $\Delta t_{jet\ formation} \equiv$ Time for jet to form at the poles of the central engine

$$\Delta t_{\text{total}} = \Delta t_{\text{collapse}} + \Delta t_{\text{jet formation}} + \Delta t_{\text{breakout}} + \dots$$

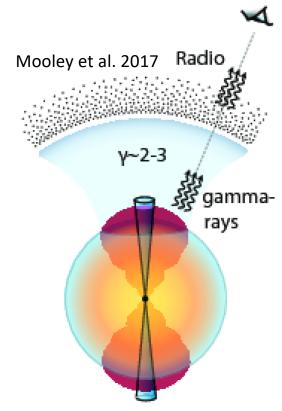
$\Delta t_{breakout} \equiv$ Time for the jet to break out of the previously ejected material

Inferred from Stefan-Boltzmann law

Nakar and Sari (2012)
$$\Delta t_{\text{breakout}} = \left(\frac{R}{1.4 \times 109 cm}\right) \left(\frac{10 \text{ keV}}{T}\right)^2$$

GRB Observable

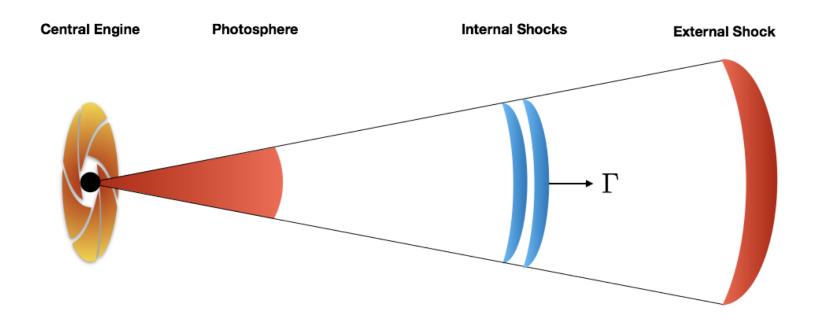
If the prompt gamma-rays originate from cocoon emission, we can constrain the fraction of Δt_{EM-GW} due to $\Delta t_{breakout}$



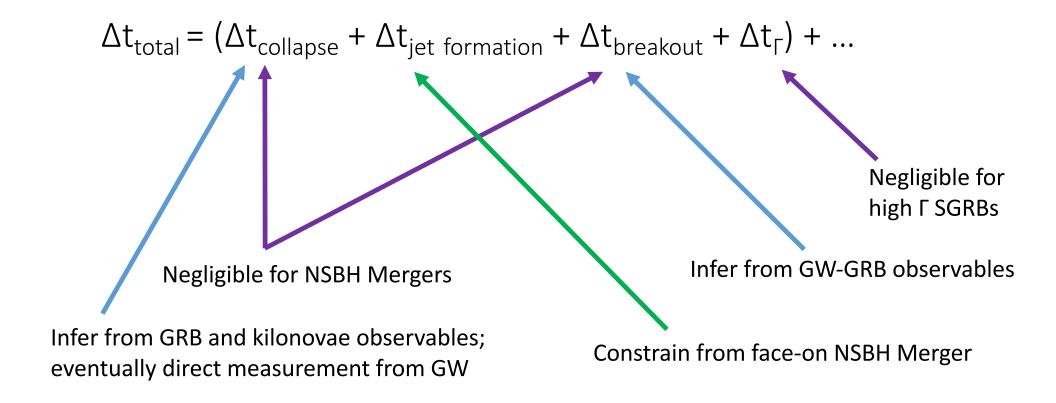
E. Successful hidden Jet Cocoon gamma-rays and afterglow

$$\Delta t_{\text{total}} = \Delta t_{\text{collapse}} + \Delta t_{\text{jet formation}} + \Delta t_{\text{breakout}} + \Delta t_{\Gamma}$$

$\Delta t_{\Gamma} \equiv$ Time for jet propagation before the prompt gamma-ray emission and escape (regardless of mechanism)



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Unique GW-GRB Observations, with partners, will enable us to delineate the time delay due to each of these components

$$\Delta t_{total} = \Delta t_{intrinsic} * (1+z) + \Delta t_{massive} + ...$$

 $\Delta t_{\text{massive}} \equiv \text{Propagation delay due to massive photon/graviton}$

$$= \frac{D}{c} \frac{(mc^2)^2}{2E^2} = 0$$

$$m_g \le 7.7 \times 10^{-23} \, eV/c^2$$

LIGO/Virgo Observations of GW170104

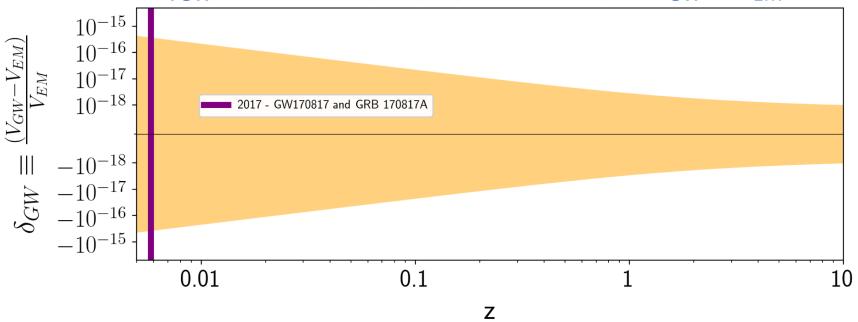
$$m_{v} \le 10^{-18} \, eV/c^{2}$$

Particle Data Group

$$\Delta t_{\text{total}} = \Delta t_{\text{intrinsic}} * (1+z) \\ + \Delta t_{\text{massive}} + \Delta t_{\text{VGW}} + ...$$

$$\delta_{\text{GW}} \approx c \frac{\Delta t}{D}$$

$\Delta t_{VGW} \equiv Relative propagation delay if V_{GW} \neq V_{EM}$

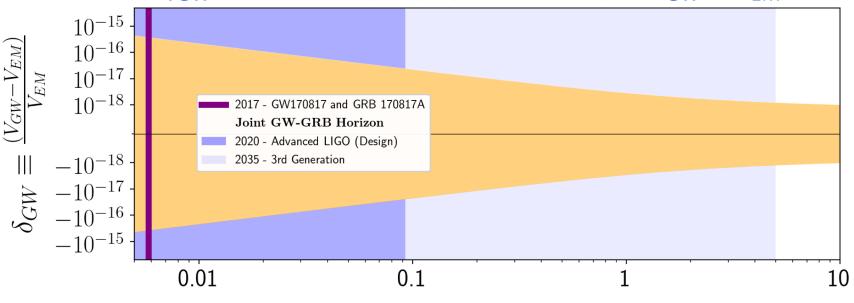


Current: $|\delta_{GW}| \le 10^{-15}$

$$\Delta t_{total} = \Delta t_{intrinsic} * (1+z) + \Delta t_{massive} + \Delta t_{VGW} + ...$$

$$\delta_{\rm GW} \approx c \frac{\Delta t}{D}$$

$\Delta t_{VGW} \equiv Relative propagation delay if V_{GW} \neq V_{EM}$



Ζ

Current: $|\delta_{GW}| \leq 10^{-15}$

Advanced LIGO Design: | $\delta_{\text{GW}} | \leq 10^{-16}$

Ultimate: $|\delta_{\text{GW}}| \le 10^{-18}$

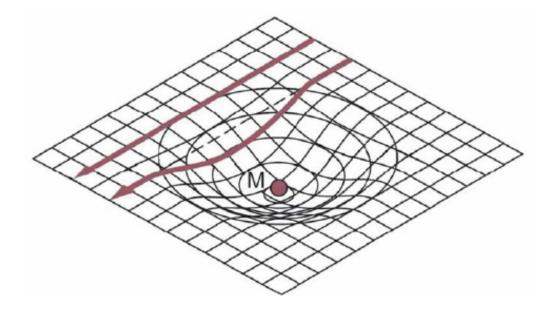
$$\Delta t_{total} = \Delta t_{intrinsic} * (1+z) + \Delta t_{massive} + \Delta t_{VGW} + \Delta t_{Shapiro} + ...$$

$\Delta t_{Shapiro} \equiv Relative propagation delay due to gravitational potentials$

$$\delta t_{\rm S} = -\frac{1+\gamma}{c^3} \int_{\mathbf{r}_{\rm e}}^{\mathbf{r}_{\rm o}} U(\mathbf{r}(l)) dl$$

 δt_s = Shapiro delay using the same time bounds r_o = observation position, r_e = emission position U(r) = gravitational potential (here the Milky Way's) = wave path

 γ = deviation from Einstein-Maxwell theory (where γ_{EM} and γ_{GW} are both equal to 1)

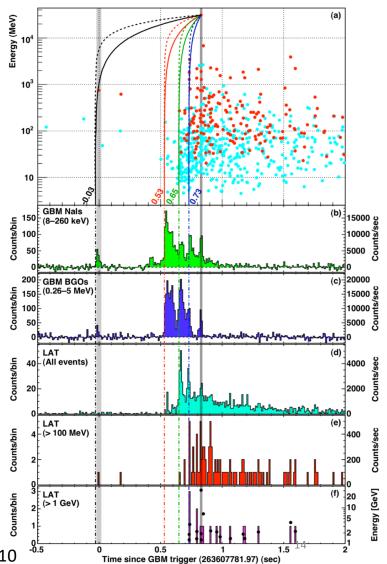


If gravity and light couple to different metrics they will have relative Shapiro delays.

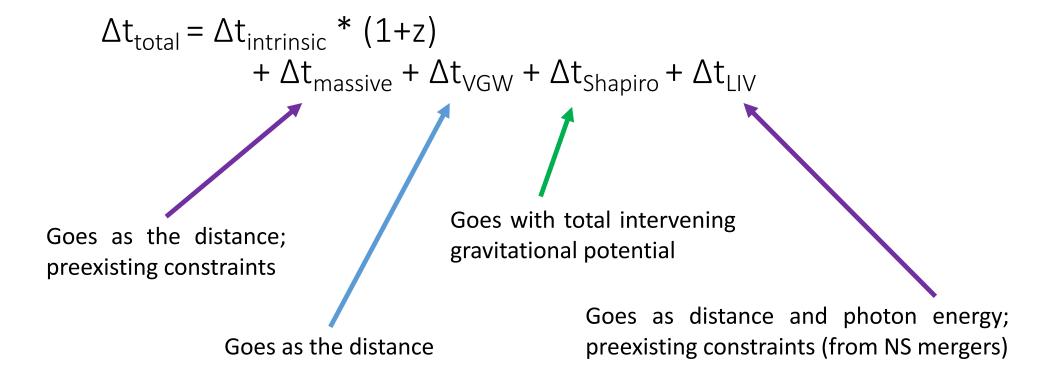
$$\Delta t_{total} = \Delta t_{intrinsic} * (1+z) + \Delta t_{massive}$$
$$+ \Delta t_{VGW} + \Delta t_{Shapiro} + \Delta t_{LIV}$$

Δt_{LIV} ≡ Relative propagation delay due to violation of Lorentz Invariance

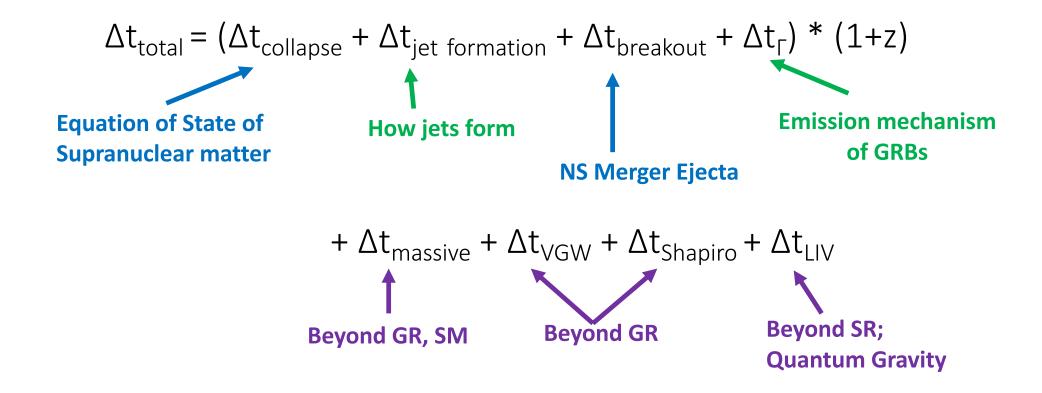
- The best limits on Lorentz Invariance Violation come from Fermi (GBM+LAT) observations of the short GRB 090510
- This was likely from a neutron star merger



Fermi LIV paper on 090510



We can disentangle intrinsic and relative propagation delays as $\Delta t_{intrinsic}$ * (1+z) will go as the redshift and relative propagation delays should not (\propto distance, gravitational potential, photon energy) ¹⁵



Fundamental Physics Nuclear Physics Astroparticle Physics

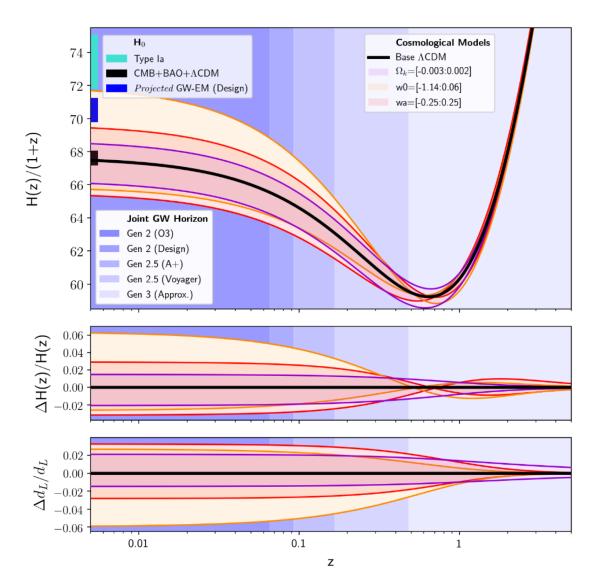
NS mergers involve the most extreme timescales, densities, and energetics in the universe.

Other Future NS Merger Science with Gamma-rays

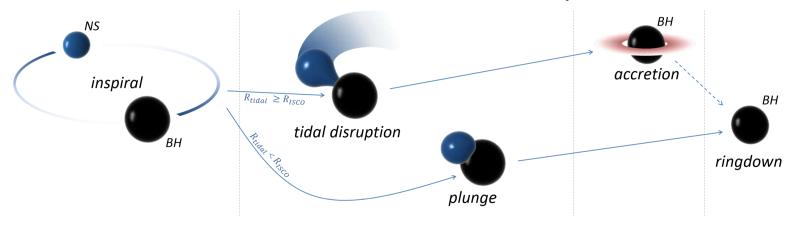
- Cosmology the best luminosity distance vs redshift measure possible
- The heavy element enrichment history of the universe
- The existence of NSBH mergers a new stellar system type
- Ultrarelativistic jet composition
- The best understood astrophysical transient
- Kilonova remnants in the Milky Way

Extra Slides

Cosmology

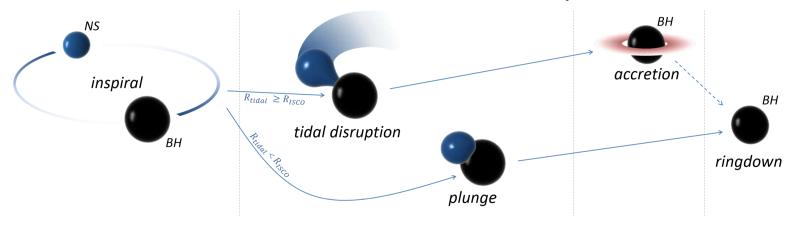


The Existence of NSBH Systems



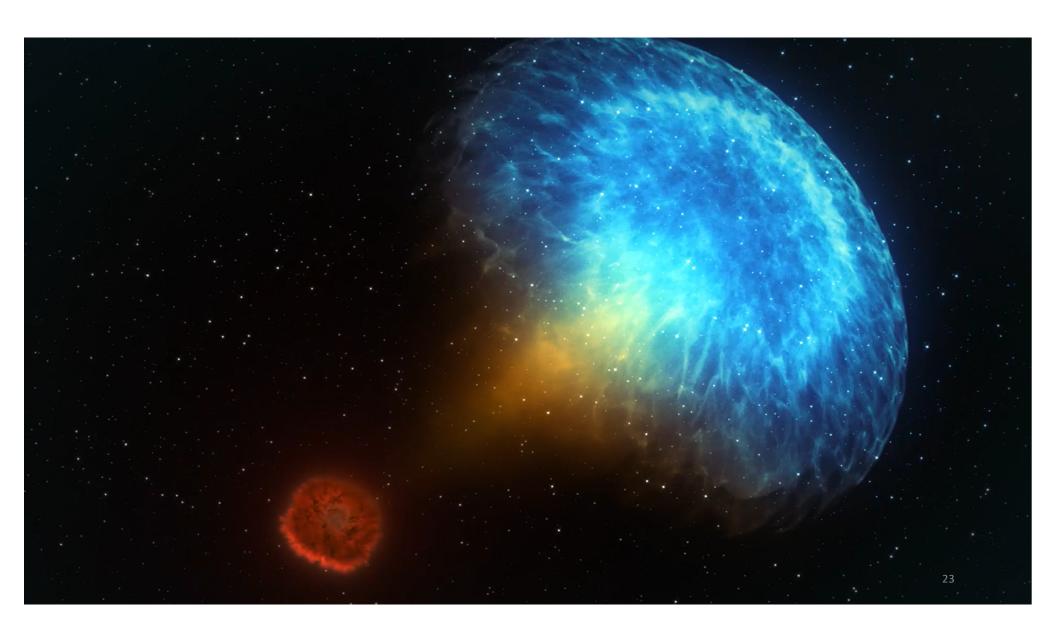
- NSBH Mergers have predicted observables
 - GW detections can constrain the mass and spin components
 - SGRB quasi-periodic oscillations
 - Only red kilonova with larger ejecta mass ($^{\sim}0.1~{\rm M}_{\odot}$)

The Existence of NSBH Systems

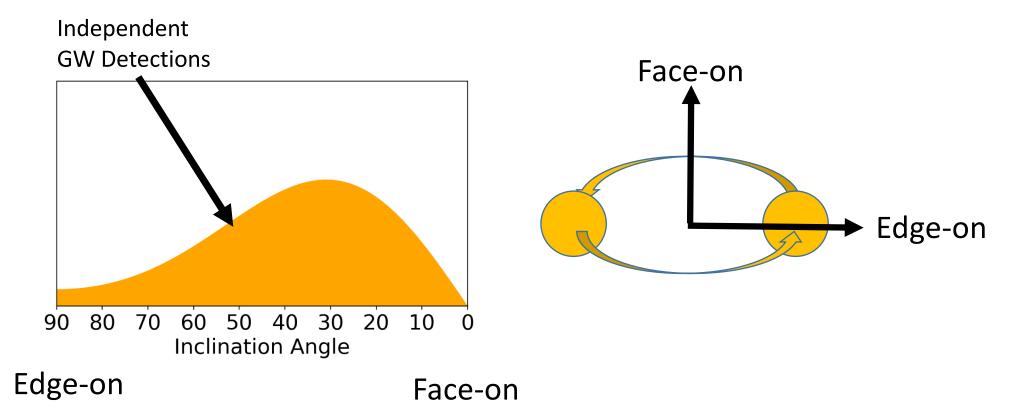


- NSBH Mergers have predicted observables
 - GW detections can constrain the mass and spin components
 - SGRB quasi-periodic oscillations
 - Only red kilonova with larger ejecta mass (~0.1 M_☉)

GW-EM observations can discover a new stellar systems

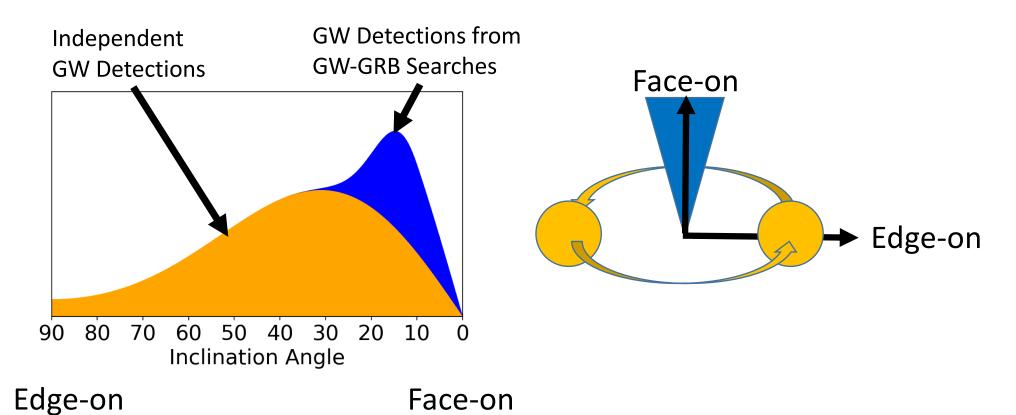


GW Detections

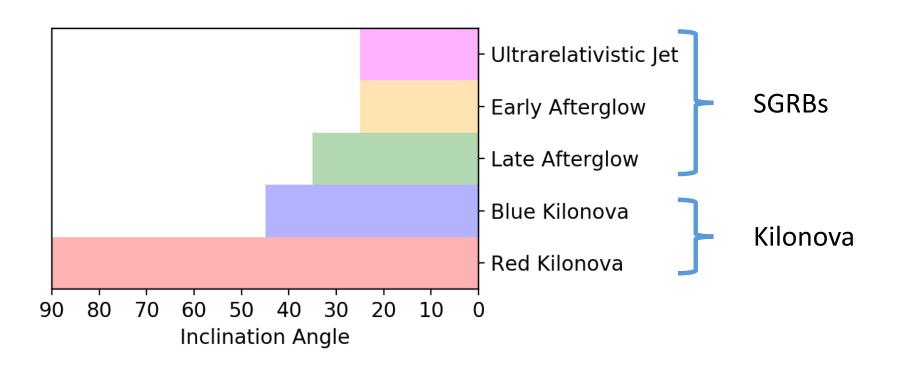


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Additional GWs from Joint GW-GRB Searches



Electromagnetic Signals of NS Mergers



Electromagnetic Signals of NS Mergers

